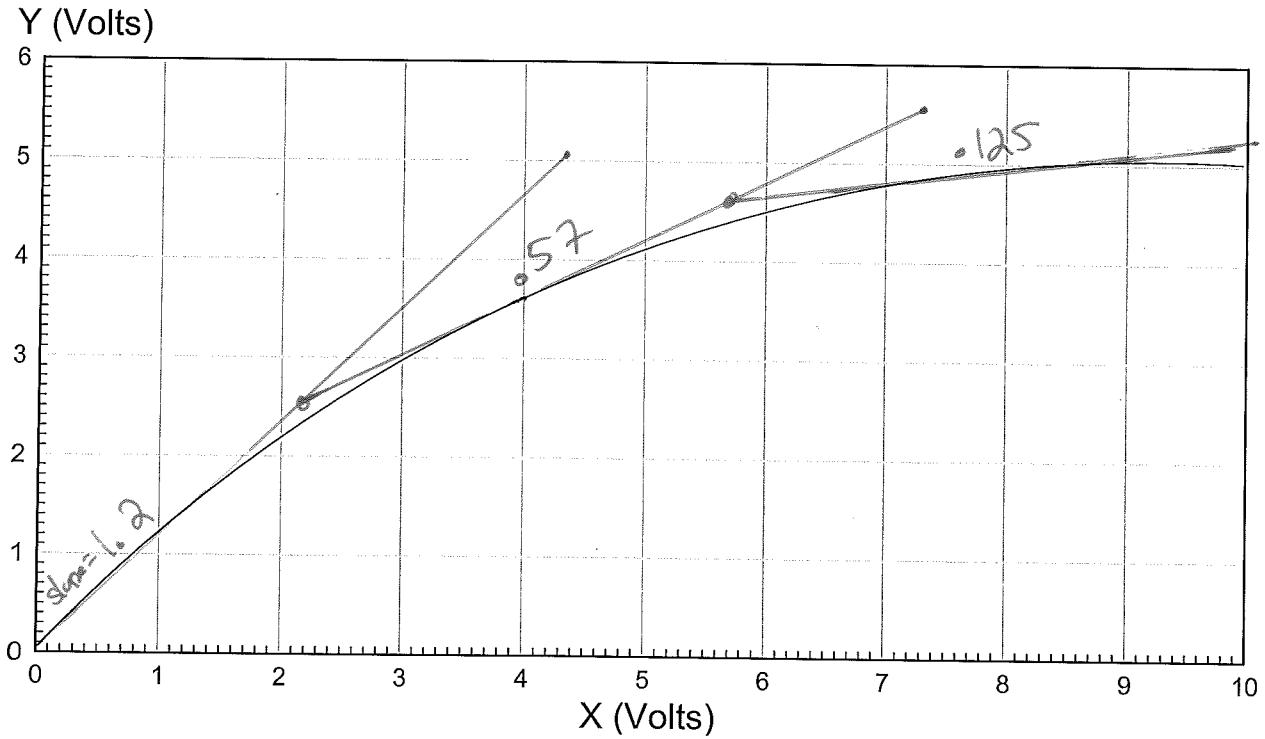
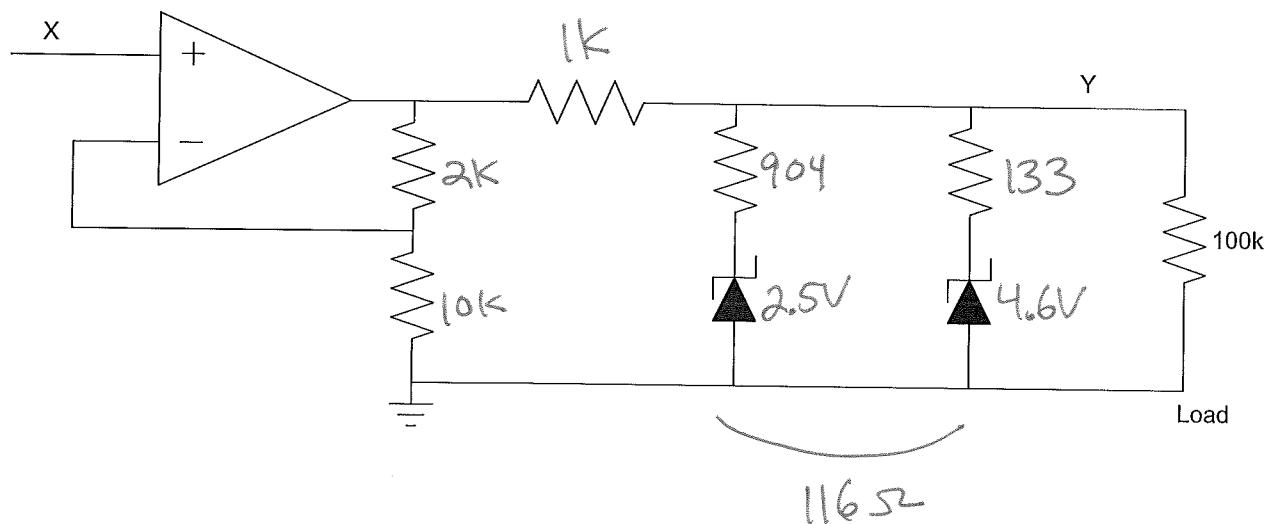


ECE 320 - Quiz #4 - Name _____

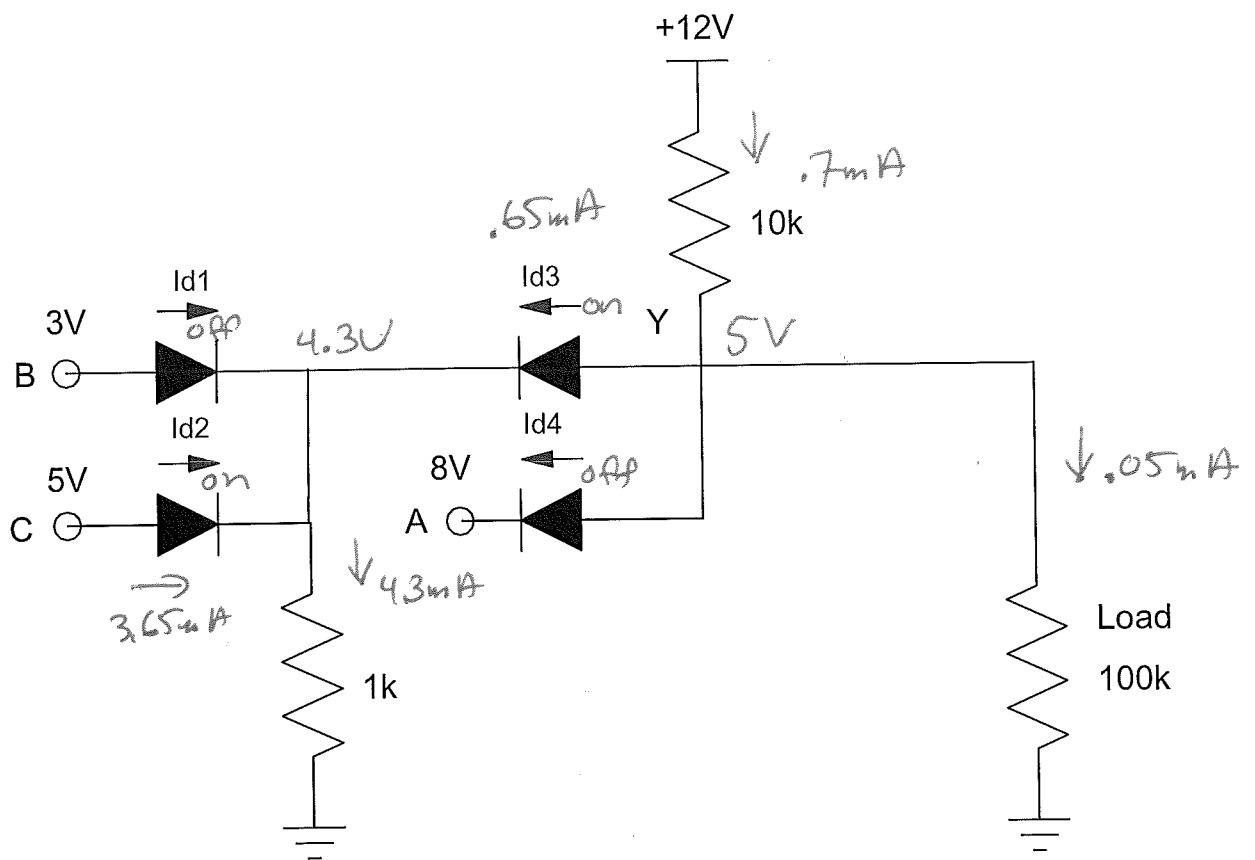
Clipper, Max/Min, AC to DC Converters. September 21, 2017

- 1) Design a clipper circuit to implement the following function with an accuracy of +/- 0.5V



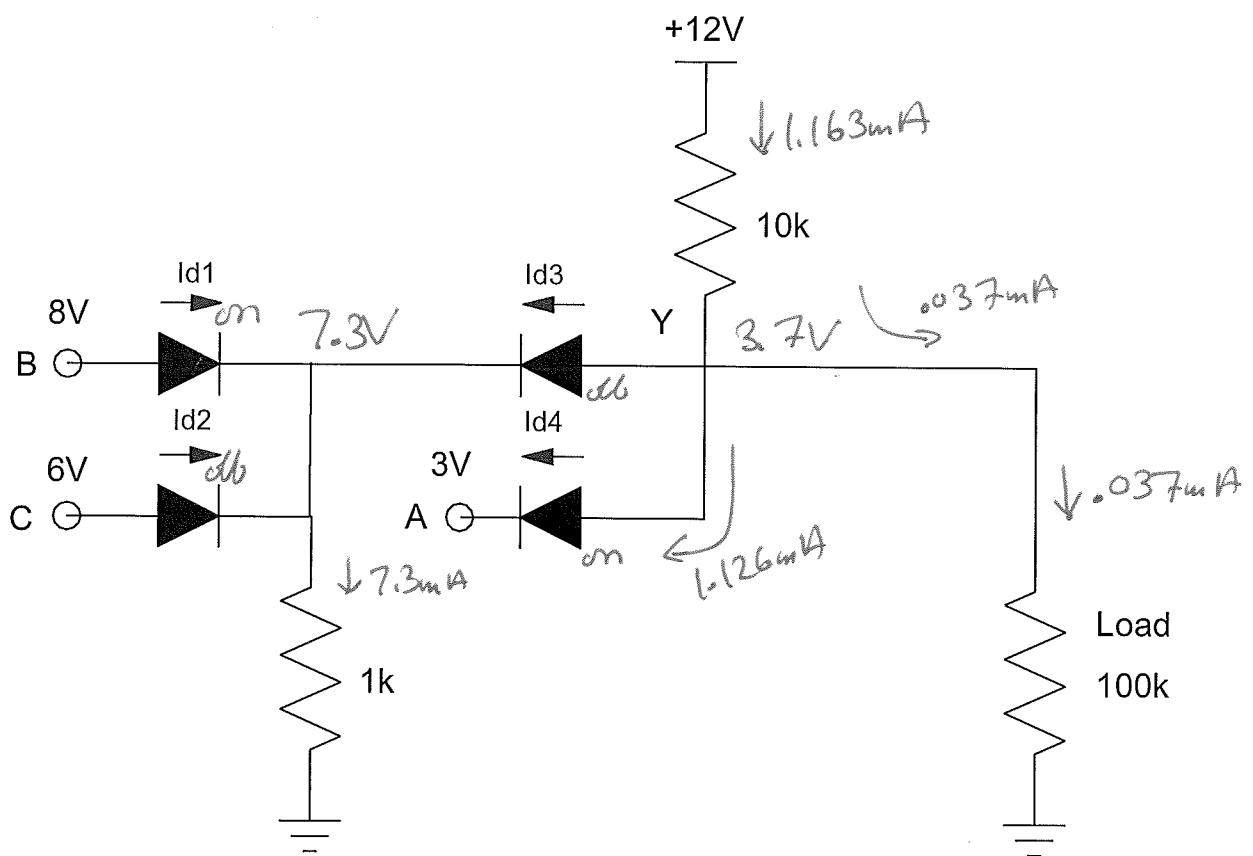
2) Assume ideal silicon diodes ($V_f = 0.7V$). Determine the currents $I_1 \dots I_4$

I_1	I_2	I_3	I_4
0	$3.65mA$	$.65mA$	0



3) Assume ideal silicon diodes ($V_f = 0.7V$). Determine the currents $I_1 \dots I_4$

I_1	I_2	I_3	I_4
7.3mA	0	0	$1.163\mu\text{A}$

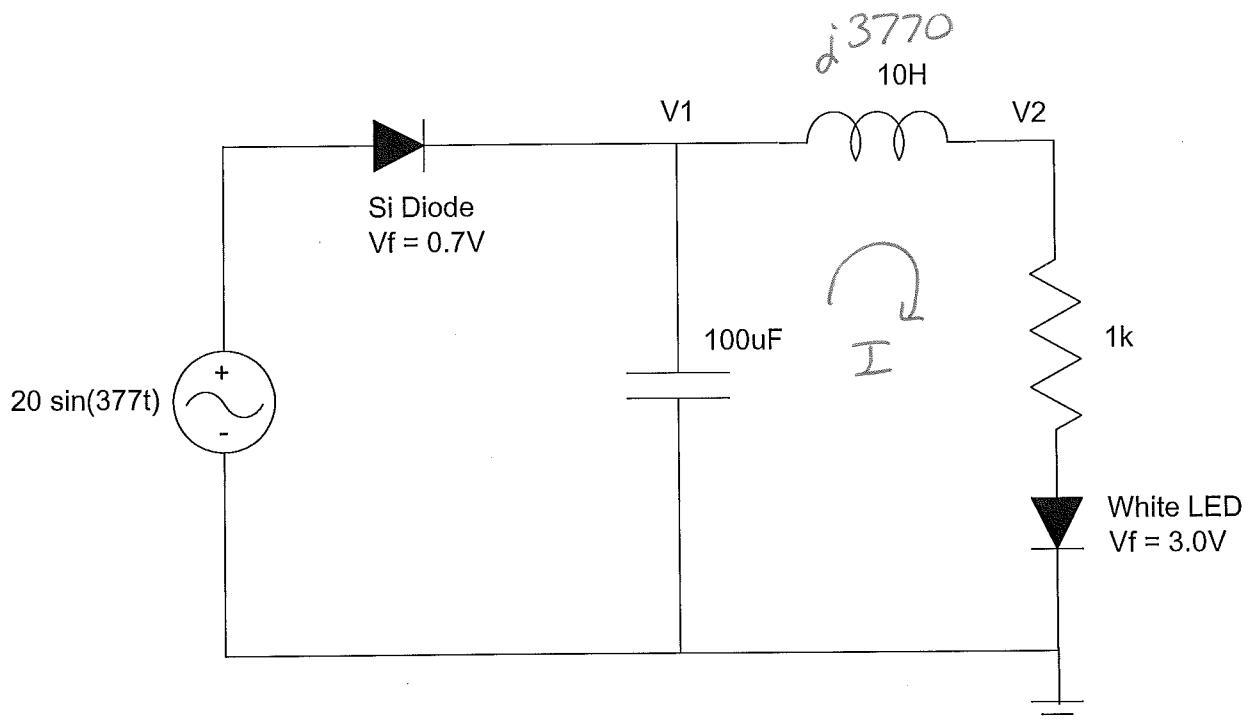


4) AC to DC Analysis: For the following AC to DC converter, determine the voltages at V1 and V2

V1		V2	
max(V1)	min(V1)	mean(V2) DC value of V2	V2pp AC value of V2
19.3V	16.58V	avg of max & min 17.94V	.696V _{pp}

$$\text{2.716V}$$

$$\text{avg of max & min}$$



$$I = \frac{19.3V - 3V}{1k} = 16.3mA$$

$$I = C \frac{dV}{dt}$$

$$16.3mA = 100\mu F \cdot \frac{dV}{160s}$$

$$dV = 2.716V_{pp}$$

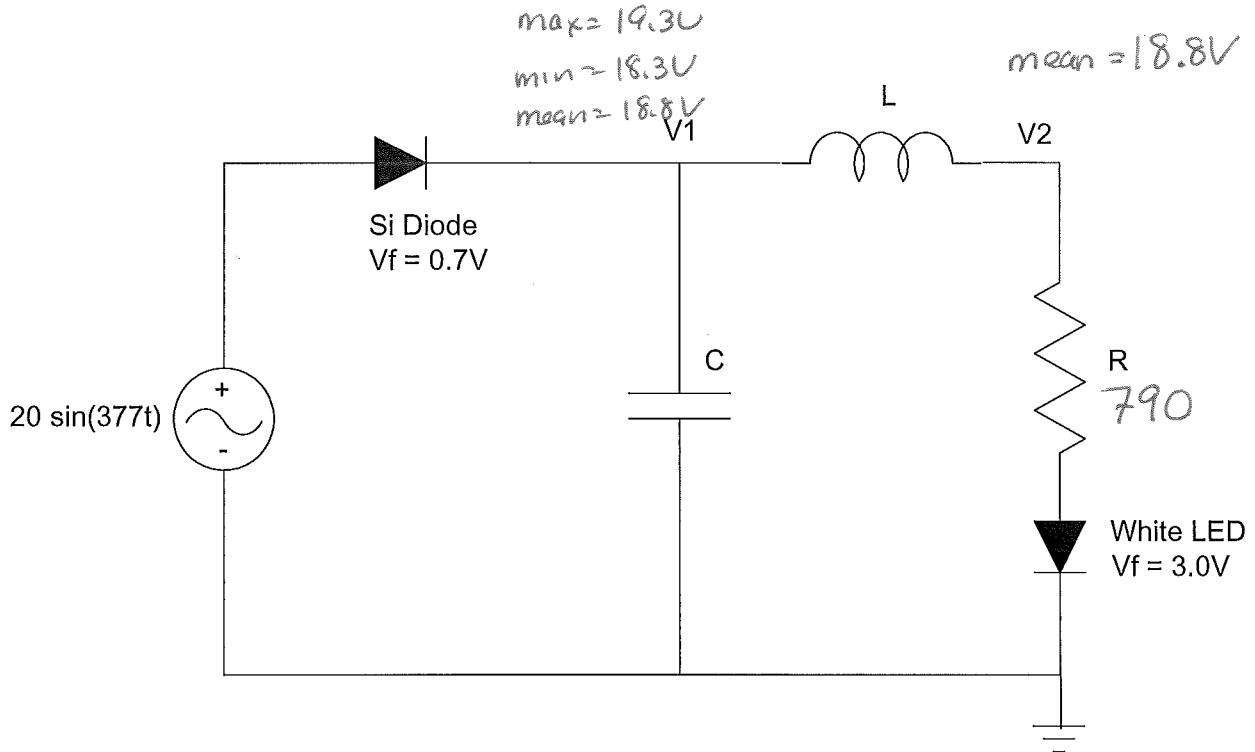
$$V_{2pp} = \left| \frac{1000}{1000 + j3770} \right| \cdot (2.716V_{pp})$$

$$= .696V_{pp}$$

5) AC to DC (design). Determine

- R so that the load draws 20mA
- C so that the ripple at V1 is 1Vpp
- L so that the ripple at V2 is 200mVpp

R Set the current to the LED at 20mA	C 1Vpp ripple at V1	L 200mVpp ripple at V2
790 Ω	333 μF	10.48 H



$$R_2 = \frac{18.8V - 3V}{20\text{mA}} = 790$$

$$I = C \frac{dV}{dt}$$

$$0.02 = C \cdot \frac{1\text{Vpp}}{160\text{s}}$$

$$C = 333 \mu\text{F}$$

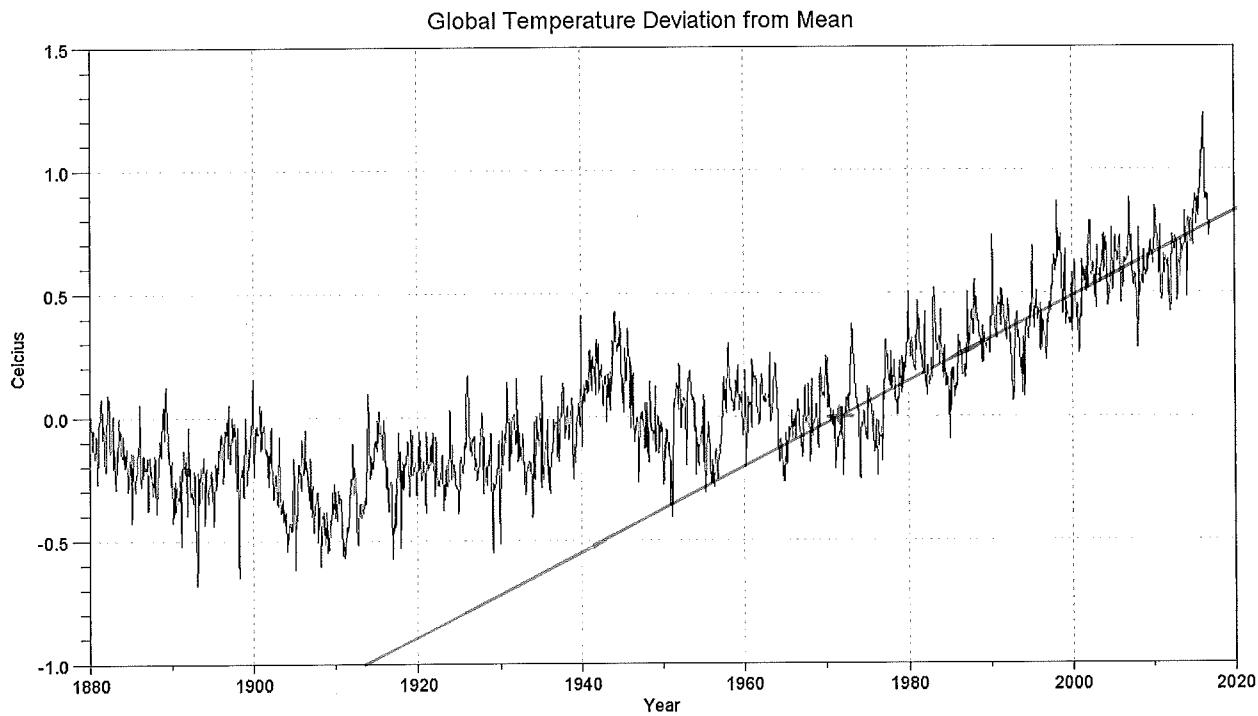
$$\cancel{j}\omega L = 5 \cdot 790$$

$$\omega L = 3950$$

$$L = 10.48 \text{ H}$$

Bonus! Why is the Arctic melting? Perhaps it's because the Earth is getting warmer.

NASA Goddard has been keep records of global temperaturs since 1880 (135 years of data) with the deviation from the mean shown below. Based upon this data, when will global temperatures be +6C above their historic mean - the point where models predict the ice caps will be gone?



$$\text{Slope} = \frac{1.6^\circ}{107 \text{ years}} = 0.015^\circ/\text{year}$$

Source: <https://data.giss.nasa.gov/gistemp/>

$$\frac{+6^\circ}{0.015^\circ/\text{y}} = 401.2 \text{ years}$$

≈ year 2371