ECE 320 - Quiz #5 - Name

555 Timers, Transistor Switch, Comparitors, Schmitt Triggers - Fall 2021

1) 555 Timers. Determine R1, R2, and C so that the 555 timer outputs a 80% duty cycle 100Hz square wave:

 $t_{on} = (R_1 + R_2) \cdot C \cdot \ln(2) = 8.0 ms$

$$t_{off} = R_2 \cdot C \cdot \ln(2) = 2.0ms$$

Let R1 be your birthday day (1000 + 100*Month + Day. May 14th would be 1514 Ohms)

R1 1000 + 100*Month + Day	R2	С
1514 Ohms	504.7 Ohms	5.717 uF
	1/3 * R1	



 $R_2 \cdot C \cdot \ln(2) = 2.0ms$

 $(R_1 + R_2) \cdot C \cdot \ln(2) = 8.0 ms$

solving 2 equations for 2 unknowns:

• R1 = 1514 Ohms $R_1 + R_2 = 4R_2$ $R_2 = 504.7\Omega$

$$C = 5.717 \mu F$$

2) Transistor Switch: Design. Specify R1 and R2 so that when Vin = 5.00V,

- Ic = (100*Birth Month + Birth Day) mA. May 14th would be 514mA (0.514A)
- The transistor is saturated, and
- Ib < 25mA (the maximum output of a 555 timer)

Assume 6144 transistors

- |Vbe| = 0.7V
- | Vce | = 0.36V when saturated
- $\beta = 200$

Ic (mA) 100*(Mo) + (Day)	Rc	min value of Rb	max value of Rb
514 mA	9.027 Ohms	172 Ohms	1673 Ohms

$$R_c = \left(\frac{5V - 0.36V}{514mA}\right) = 9.027\Omega$$

min value of Ib

$$I_b = \frac{I_c}{\beta} = \frac{514mA}{200} = 2.570mA$$
$$R_b = \left(\frac{5V - 0.7V}{2.570mA}\right) = 1673\Omega$$

max value of Ib

$$I_b = 25mA$$
$$R_b = \left(\frac{5V - 0.7V}{25mA}\right) = 172\Omega$$



3) Darlington Pair (analysis). Assume two 6144 NPN transistors are connected as a Darlington pair.

- |Vbe| = 0.7V
- | Vce | = 0.36V when saturated
- $\beta = 200$

Let Rb be 1000 + 100(Birth Month) + Birth Day. (May 14 = 1514 Ohms). Find the currents and voltages.

Rb 1000 + 100*Mo + Day	I1	I2	13	
1514 Ohms	1514 Ohms 2.378mA		1731mA	
	V1	V2	V3	
	1.4V	0.2V	1.06V	

$$I_{1} = \left(\frac{5V-1.4V}{1514\Omega}\right) = 2.378mA$$
$$I_{4} = \left(\frac{15V-1.06V}{8\Omega}\right) = 1743mA$$
$$I_{5} + I_{3} = I_{4} = 1743mA$$
$$I_{2} = I_{1} + I_{5}$$
$$I_{3} = 200I_{2}$$

Solving

$$I_2 = \left(\frac{1743mA - 2.378mA}{201}\right) = 8.6573mA$$



4) Comparitor: Design a circuit which output

- 0V when R > X Ohms
- 5V when R < X Ohms

where X is $1000 + 10^{*}(Birth Month) + (Birth Day)$.

X = 1514 Ohms



5) Schmitt Trigger: Design a circuit which output

- 5V when R < X Ohms
- 0V when R > X + 400 Ohms
- No change for X < R < X + 400 Ohms

Let X be 1000 + 10(Birth Month) + (Birth Date).

X = 1514 Ohms

R = 1514 Ohms

• V1 = 2.50V

•
$$Y = 5V$$

R = 1914 Ohms

•
$$V_1 = \left(\frac{1914}{1914 + 1514}\right) = 2.792V$$

• $Y = 0V$

As V1 goes up, Y goes down. Connect to the minus input

Y is set when V1 = 2.5V. Make the offset 2.5V

Make the gain

$$gain = \left(\frac{5v - 0V}{2.792V - 2.500V}\right) = 17.14$$



6) Schmitt Trigger: Analysis. Determine the voltages and resistance where the following Schmitt trigger turns on and off. Assume Rx is $1000 + 10^{\circ}$ (Birth Month) + (Birth Day). May 14th gives Rx = 1514 Ohms.

R x 1000 + 10*Mo + Day	On $(V2 = +5V)$		Off $(V2 = 0V)$	
1514	V1	R	V1	R
	1.2V	478 Ohms	2.45V	1459 Ohms



On: V2 is set when V1 = 1.2V (the offset)

$$\left(\frac{R}{R+1514}\right)5V = 1.2V$$
$$R = \left(\frac{1.2V}{5V-1.2V}\right)1514\Omega = 478.1\Omega$$

This is actually R || 500k. Removing the 500k resistor gives

 $R = 478.6\Omega$

Off: The gain is 4

$$\begin{pmatrix} \frac{5V}{dV} \end{pmatrix} = 4$$
$$dV = 1.25V$$
$$V_1 = 1.2V + 1.25V = 2.45V$$
$$R = \left(\frac{2.45V}{5V - 2.45V}\right) 1514 = 1454\Omega$$

removing the 500k in parallel gives

$$R = 1459\Omega$$