ECE 341 - Homework #8

Queueing Theory & Normal Distributions.

Queueing Theory

Assume you are running a fast-food restraunt.

- The time between customers arriving at a restaraunt is an exponential distribution with a mean of 90 seconds.
- The time it takes to serve each customer is an exponential distribution with a mean of 60 seconds.

1) Run a single Monte-Carlo simulation for this restaraunt over the span of one hour.

- Give the formula for each column in you simulation
- What is the longest waiting time for a customer in your simulation?
- What is the largest queue over the span of one hour?

Normal Distribution

The mean and standard deviation for a 6 and 8-sided die are

$\mu_{d6} = 3.50$	$\mu_{d8} = 4.50$
$\sigma_{d6} = 1.7078$	$\sigma_{d8} = 2.291$
$\sigma_{d6}^2 = 2.9166$	$\sigma_{d8}^2 = 5.2487$

2) Let Y be the sum of rolling five 6-sided dice (5d6) plus five 8-sided dice (5d8).

Y = 5d6 + 5d8

- a) What is the mean and standard deviation of Y?
- b) Using a normal approximation, what is the 90% confidence interval for Y?
- c) Using a normal approximation, what is the probability that the sum the dice will be more than 49.5?
- 3) Check your answer using a Monte-Carlo simulation in Matlab with 100,000 rolls:

```
N = 0;
for i=1:1e5
  Y = sum( ceil( 6*rand(5,1) ) ) + sum( ceil( 8*rand(5,1) ) );
  if(Y > 49.5)
     N = N + 1;
     end
  end
N / 1e5
```

4) Fargo's high temperature in the month of June has been measured by Hector Airport since 1942.

- Determine the mean and standard deviation for the high in June
- Assuming a normal distribution, determine the probability that the high in June will exceed 100F this year (note: data set is linked on Bison Academy)