## ECE 376-Test \#2: Name

## C-Programming on a PIC Processor

Open book, open notes. Calculators and Matlab permitted. Individual effort (help from other people or web sites where other people help you solve the problems not permitted).

## 1) C Coding \& Flow Charts ( 25 points)

Write a C program for door alarm:

- RB 0 is connected to a door $(0 \mathrm{~V}=$ closed, $5 \mathrm{~V}=$ open $)$
- If the door is left open for 30 seconds, an alarm goes off
- Once the door is closed, the alarm turns off
- The alarm is a 250 Hz square wave ( 2 ms on, 2 ms off) on RC0 (output) door open


```
void main(void) {
    ADCON1 = 0x0F;
    TRISB = 0xFF;
    TRISC = 0;
    while(1) {
```

```
                if(RB0) TIME = TIME + 1;
```

                if(RB0) TIME = TIME + 1;
                else TIME = 0;
                else TIME = 0;
            if(TIME > 15000) RCO = !RC0;
            if(TIME > 15000) RCO = !RC0;
            else RCO = 0;
            else RCO = 0;
                Wait_ms(2);
                Wait_ms(2);
            }
    ```
            }
```



## 2) Subroutines: ( 25 points)

Assume TIME is a counter which is incremented every 2 ms

- TIME goes from 0 ( 0 seconds) to 15,000 ( 30 seconds)

Write a C subroutine to display TIME as an 8-bit bar graph on PORTD.

- TIME is passed to the subroutine ( 0 to 15,000 corresponding to $0-30$ seconds)
- Each LED represents 3.75 seconds ( 30 seconds / 8)
- Each 3.75 seconds, another LED lights up until all 8 LEDs are lit up at 30 seconds

```
RD7
```

```
void BarGraph(unsigned int TIME) {
```

void BarGraph(unsigned int TIME) {
if(TIME < 1865) PORTD = 0;
if(TIME < 1865) PORTD = 0;
elseif(TIME < 3750) PORTD = 1;
elseif(TIME < 3750) PORTD = 1;
elseif(TIME < 5265) PORTD = 3;
elseif(TIME < 5265) PORTD = 3;
elseif(TIME < 7500) PORTD = 7;
elseif(TIME < 7500) PORTD = 7;
elseif(TIME < 9375) PORTD = 0x0F;
elseif(TIME < 9375) PORTD = 0x0F;
elseif(TIME < 11250) PORTD = 0x1F;
elseif(TIME < 11250) PORTD = 0x1F;
elseif(TIME < 11250) PORTD = 0x3F;
elseif(TIME < 11250) PORTD = 0x3F;
elseif(TIME < 13125) PORTD = 0x7F;
elseif(TIME < 13125) PORTD = 0x7F;
else PORTD = 0xFF;
else PORTD = 0xFF;
}

```
    }
```

Another variation

```
void BarGraph(unsigned int TIME) {
    unsigned char X;
    X = TIME / 1865;
    if(X > 7) PORTD = 0xFF;
    if(X == 7) PORTD = 0x7F;
    if(X == 6) PORTD = 0x3F;
    if(X == 5) PORTD = 0x1F;
    if(X == 4) PORTD = 0x0F;
    if(X == 3) PORTD = 0x07;
    if(X == 2) PORTD = 0x03;
    if(X == 1) PORTD = 0x01;
    if(X == 0) PORTD = 0x00;
    }
```


## 3) Analog Inputs (25 points)

Assume the A/D input to a PIC processor has the following hardware connection where R is a 3 k thermistor where T is the temperature in degrees C

$$
R=3000 \cdot \exp \left(\frac{4000}{T+273}-\frac{4000}{298}\right) \Omega
$$

Let T be your birth date (1..31) in degrees C

$$
\mathrm{T}=\text { your birth date (degrees } \mathrm{C} \text { ) }
$$

At this temperature, determine

- The resistance, R,
- The voltage, V1,
- The A/D reading, and
- The smallest change in termperature you can detect

| T (degees C) <br> birth date $(1.31)$ | R <br> Ohms | V1 <br> Volts | A/D Reading <br> $0 \ldots 1023$ | Smallest change in T you <br> can detect |
| :---: | :---: | :---: | :---: | :---: |
| 14 | $\mathbf{5 0 1 8 . 2 2}$ | $\mathbf{2 . 5 0 4 5}$ | $\mathbf{5 1 2 . 4 3 0 4}$ <br> round down: 512 | $\mathbf{0 . 0 8 0 5 C}$ |

$\mathrm{A} / \mathrm{D}$ reading is 512.4304
Add one (smallest change is one count)
$\mathrm{A} / \mathrm{D}=513.4304$
$\mathrm{V} 1=2.5094 \mathrm{~V}$
$R=\left(\frac{V_{1}}{5-V_{1}}\right) \cdot 5000 \Omega$
$R=5037.8824 \Omega$
$T=13.9195^{\circ} \mathrm{C}$
$\delta T=14^{0}-13.9195^{0}=0.0805^{0} C$

## 4) chi-squared test (10 points)

If each NFL football game is a coin toss (50/50 chance of any team winning), the pdf for the number of wins a given team has after 16 games should be a binomial distribution (pdf for flipping a coin 16 times). Use a chi-squared test to determine if the you can reject the hypothesis that NFL games are random using the number of wins each team had at the end of the 2018, 2019, and 2021 NFL season.

| \# Wins <br> wins after 16 games | p <br> binomial distribution | np <br> expected results | N <br> actual results | Chi-Squared |
| :---: | :---: | :---: | :---: | :---: |
| $0-2$ | 0.0021 | 0.20 | 1 | 3.2 |
| $3-5$ | 0.1030 | 9.88 | 21 | 12.51 |
| $6-7$ | 0.2968 | 28.49 | 22 | 1.48 |
| $8-10$ | 0.4931 | 47.34 | 30 | 6.35 |
| $11-13$ | 0.1030 | 9.88 | 21 | 12.51 |
| $14-16$ | 0.0021 | 0.20 | 1 | 3.2 |

I am more than $\mathbf{9 9 \%}$ certain that NFL games are not just a coin toss

| Chi-Squared TableProbability of rejecting the null hypoth |  |  |  |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| dof | 99\% | 95\% | 90\% | 80\% | 60\% | 40\% | 20\% | 10\% | 5\% | 1\% |
| 1 | 6.64 | 3.84 | 2.71 | 1.65 | 0.71 | 0.28 | 0.06 | 0.02 | 0 | 0 |
| 2 | 9.21 | 5.99 | 4.61 | 3.22 | 1.83 | 1.02 | 0.45 | 0.21 | 0.05 | 0.01 |
| 3 | 11.35 | 7.82 | 6.25 | 4.64 | 2.95 | 1.87 | 1.01 | 0.58 | 0.22 | 0.07 |
| 4 | 13.28 | 9.49 | 7.78 | 5.99 | 4.05 | 2.75 | 1.65 | 1.06 | 0.48 | 0.21 |
| 5 | 15.09 | 11.07 | 9.24 | 7.29 | 5.13 | 3.66 | 2.34 | 1.61 | 0.83 | 0.41 |
| 6 | 16.81 | 12.59 | 10.64 | 8.55 | 6.21 | 4.57 | 3.07 | 2.20 | 1.63 | 0.87 |
| 7 | 18.47 | 14.06 | 12.02 | 9.80 | 7.28 | 5.49 | 3.82 | 2.83 | 2.17 | 1.24 |

## 5) t-Tests (15 points)

The number of points the Vikings have scored over the past six weeks are:

- Points Scored by Vikings: $\{23,24,28,28,29,24\}$
- Mean $=26.00$
- Standard Deviation $=2.61$
a) What is the chance that the Vikings will score more than 30 points their next game?
- Note: A normal distrubution is a continuous distribution whereas points are discrete. You can approximate this by saying scoring more than 30.5 points (continuous pdf) equates to scoring more than 30 points (discrete pdf). No penalty if you didn't do that.

$$
t=\left(\frac{30.5-26}{2.61}\right)=1.7241
$$

5 degrees of freedom
$\mathrm{p}=8 \%$ (approx-1.72 is between $5 \%$ and $10 \%$ )
The Vikings have an $\mathbf{8 \%}$ chance of score 30 points or more
b) How many points can the defense give up if the Vikings are to have a $95 \%$ chance of winning?

5 degrees of freedom, $5 \%$ tail, means the $t$-score is 2.02

$$
\begin{aligned}
& t=2.02=\left(\frac{26-X}{2.61}\right) \\
& X=26-2.02 \cdot 2.61 \\
& X=20.73
\end{aligned}
$$

If the defense gives up $\mathbf{2 0}$ points, the Vikings have a $\mathbf{9 5 \%}$ chance of winning the game

| Student t -Table <br> area of tail <br> dof $\backslash \mathrm{p}$ |  |  |  |  |  |  |  |  |  |  |  |  |  | 0.25 | 0.20 | 0.15 | 0.10 | 0.05 | 0.025 | 0.01 | 0.005 | 0.001 | 0.0005 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1 | 1 | 1.38 | 1.96 | 3.08 | 6.31 | 12.71 | 31.82 | 63.66 | 318.31 | 636.62 |  |  |  |  |  |  |  |  |  |  |  |  |  |
| 2 | 0.82 | 1.06 | 1.39 | 1.89 | 2.92 | 4.3 | 6.97 | 9.93 | 22.33 | 31.6 |  |  |  |  |  |  |  |  |  |  |  |  |  |
| 3 | 0.77 | 0.98 | 1.25 | 1.64 | 2.35 | 3.18 | 4.54 | 5.84 | 10.22 | 12.92 |  |  |  |  |  |  |  |  |  |  |  |  |  |
| 4 | 0.74 | 0.94 | 1.19 | 1.53 | 2.13 | 2.78 | 3.75 | 4.6 | 7.17 | 8.61 |  |  |  |  |  |  |  |  |  |  |  |  |  |
| 5 | 0.73 | 0.92 | 1.16 | 1.48 | 2.02 | 2.57 | 3.37 | 4.03 | 5.89 | 6.87 |  |  |  |  |  |  |  |  |  |  |  |  |  |
| 6 | 0.72 | 0.91 | 1.13 | 1.44 | 1.94 | 2.45 | 3.14 | 3.71 | 5.21 | 5.96 |  |  |  |  |  |  |  |  |  |  |  |  |  |
| 7 | 0.71 | 0.90 | 1.12 | 1.41 | 1.89 | 2.36 | 3.00 | 3.50 | 4.78 | 5.41 |  |  |  |  |  |  |  |  |  |  |  |  |  |
| infinity | 0.674 | 0.842 | 1.036 | 1.282 | 1.645 | 1.960 | 2.326 | 2.576 | 3.090 | 3.29 |  |  |  |  |  |  |  |  |  |  |  |  |  |

