## Homework \#3: ECE 461 / 661

Structured Text, 1st and 2nd Order Approximations. Due Monday, September 13th (will accept PLC code any time before December 1st so you can use the Micro810 PLC's)

## Windshield Wiper (take 2)

Write a structured text (Pascal) program to control a windshield wiper


Outputs:

- Out0: Forward
- Out1: Reverse
- Out2: Fast (1) or Slow (0)
- Out3: Wiper Fluid On (1) and off (0)

Inputs:

- In0: Stop (all outputs off)
- In1: Intermittant
- In2: Slow
- In3: Fast
- In4: Clean Windshield


## Problem 1-4: (Due December 1st)

Problem 1: Write a PLC program to control a windshield wiper in intermittand mode

- When IN0 is pressed, the wipers turn off
- When IN1 is pressed, the wipers start a sequence
- OUT2 = off (slow)
- Forward for 2 seconds $(\mathrm{OUT0}=1, \mathrm{OUT1}=0)$
- Reverse for 2 seconds ( $\mathrm{OUT} 0=0$, OUT1 $=1$ )
- Pause for 2 seconds $\quad(\mathrm{OUT} 0=0, \mathrm{OUT1}=0)$
- Repeat

Problem 2: Add Slow mode

- When IN2 is pressed, the wipers start a sequence
- OUT2 = off (slow)
- Forward for 2 seconds
- Reverse for 2 seconds
- Repeat

Problem 3: Add fast mode

- When IN3 is pressed, the wipers start a sequance
- OUT2 = on (fast)
- Forward for 1 seconds
- Reverse for 1 seconds
- Repeat

Problem 4: Add a clean mode (assumes wipers were turned off)

- OUT3 remains on while IN4 is pressed (sprays cleaning fluid on the windshield)
- While IN4 is pressed, the wipers go back and forth in the slow mode ( 2 seconds forward, 2 seconds in reverse, repeat).
- When IN4 is released,
- The spray turns off (OUT3 = off),
- The wipers complete 3 more cycles (forward then reverse)
- Then the wipers turn off


## LaPlace Transforms (Due September 13th)

5) Assume $X$ and $Y$ are related by the following transfer function

$$
Y=\left(\frac{10(s+3)}{(s+2)(s+5)(s+10)}\right) X
$$

a) What is the differential equation relating X and Y ?
b) Determine $\mathrm{y}(\mathrm{t})$ assuming

$$
x(t)=4 \cos (3 t)+5 \sin (3 t)
$$

c) Determine $y(t)$ assuming $x(t)$ is a unit step input

$$
x(t)=u(t)
$$

6) Assume $X$ and $Y$ are related by the following transfer function:

$$
Y=\left(\frac{100}{(s+1+j 5)(s+1-j 5)(s+30)}\right) X
$$

a) Use 2 nd-order approximations to determine

- The $2 \%$ settling time
- The percent overshoot for a step input
- The steady-state output for a step input $(x(t)=u(t))$
b) Check your answers using the 3rd order model and Matlab, Simulink, of VisSim (your pick)

7) Determine the transfer function for a system with the following step response:

8) Determine the transfer function for a system with the following step response:

