

# ECE 461/661 - Test #3: Name \_\_\_\_\_

Digital Control & Frequency Domain techniques - Fall 2023

## s to z conversion

- 1) Determine the discrete-time equivalent for  $G(s)$ . Assume a sampling rate of  $T = 0.01$  second

$$G(s) = \left( \frac{100(s+5)}{(s-2)(s+7+j3)(s+7-j3)} \right)$$

## Digital Compensators: K(z)

2) Assume a unity feedback system with a sampling rate of  $T = 0.1$  second

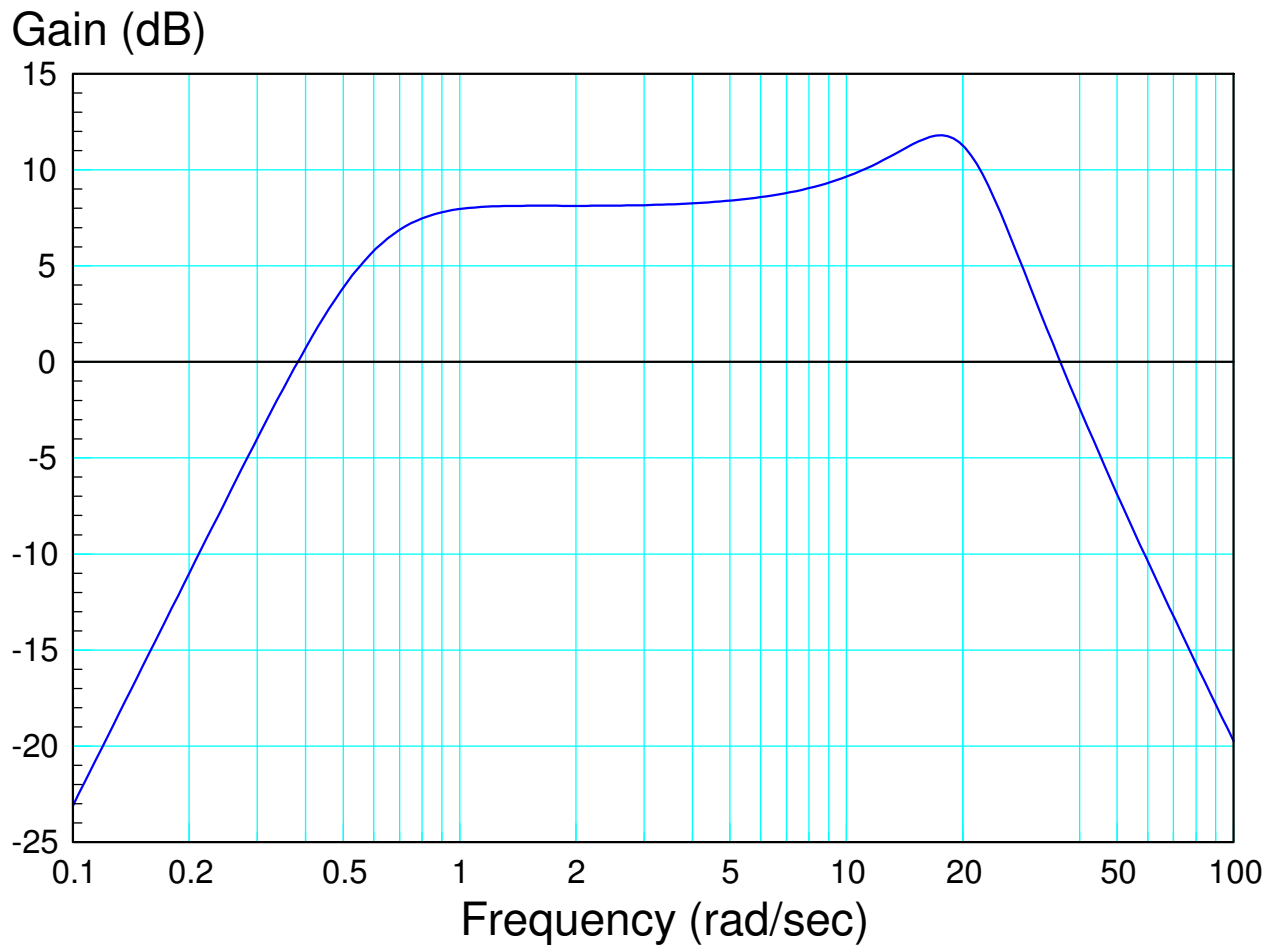
$$G(z) = \left( \frac{0.002z}{(z-0.98)(z-0.92)(z-0.65)} \right)$$

Design a digital compensator,  $K(z)$ , which results in

- No error for a step input,
- Closed-Loop Dominant poles at  $z = 0.9 + j0.1$ , and
- Is causal (the number of poles in  $K(z)$  is equal to or greater than the number of zeros)

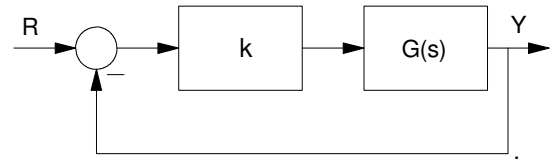
### 3) Bode Plots

Determine the system,  $G(s)$ , which has the following gain vs. frequency



#### 4) Nichols Charts

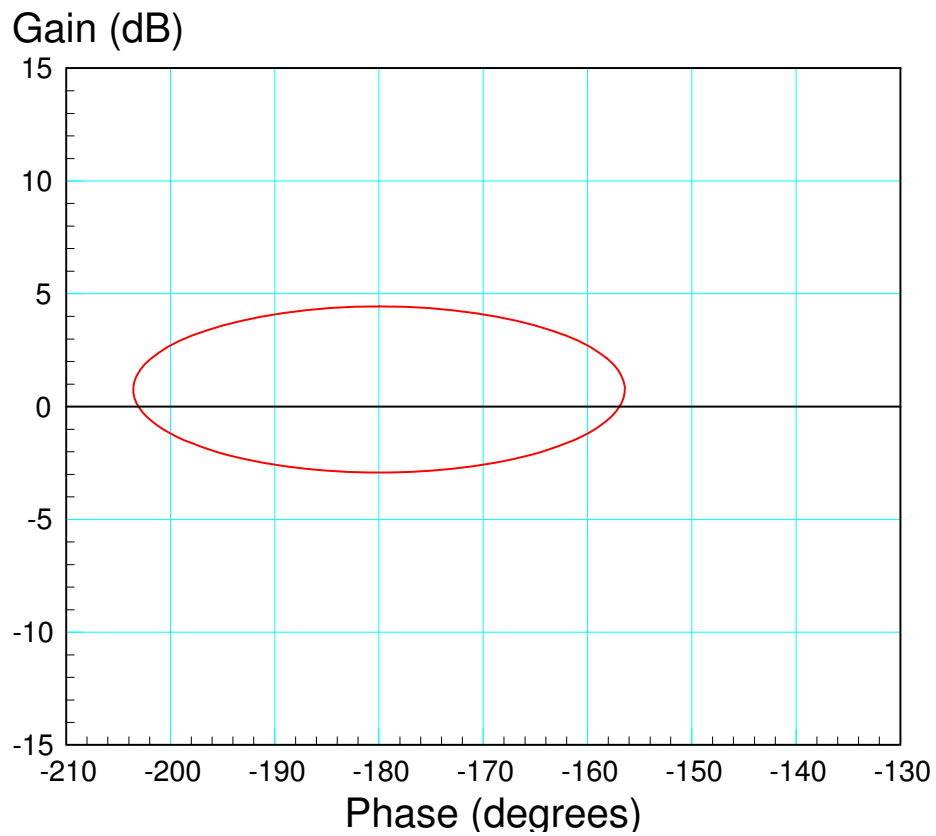
Assume a unity feedback system where the gain of  $G(s)$  is as follows:



Determine

- The maximum gain,  $k$ , for stability
- $k$  that results in a resonance of  $M_m = 2.5$

frequency (rad/sec)	3	5	7	9	15
Gain	15dB	10dB	5dB	0dB	-5dB
Phase (degrees)	-140 deg	-155 deg	-170 deg	-185 deg	-210 deg



## 5) Analog Compensator (Bode Plots)

Assume a unity feedback system with

$$G(s) = \left( \frac{10}{(s+0.5)(s+3)(s+9)} \right)$$

Determine a compensator,  $K(s)$ , which results in

- No error for a step input
- A phase margin of 30 degrees
- A 0dB gain frequency of 3 rad/sec

