

ECE 320 - Quiz #6 - Name _____

Spring 2023 - H Bridges, DC to DC, SCR, Fourier Transforms, Boolean Logic

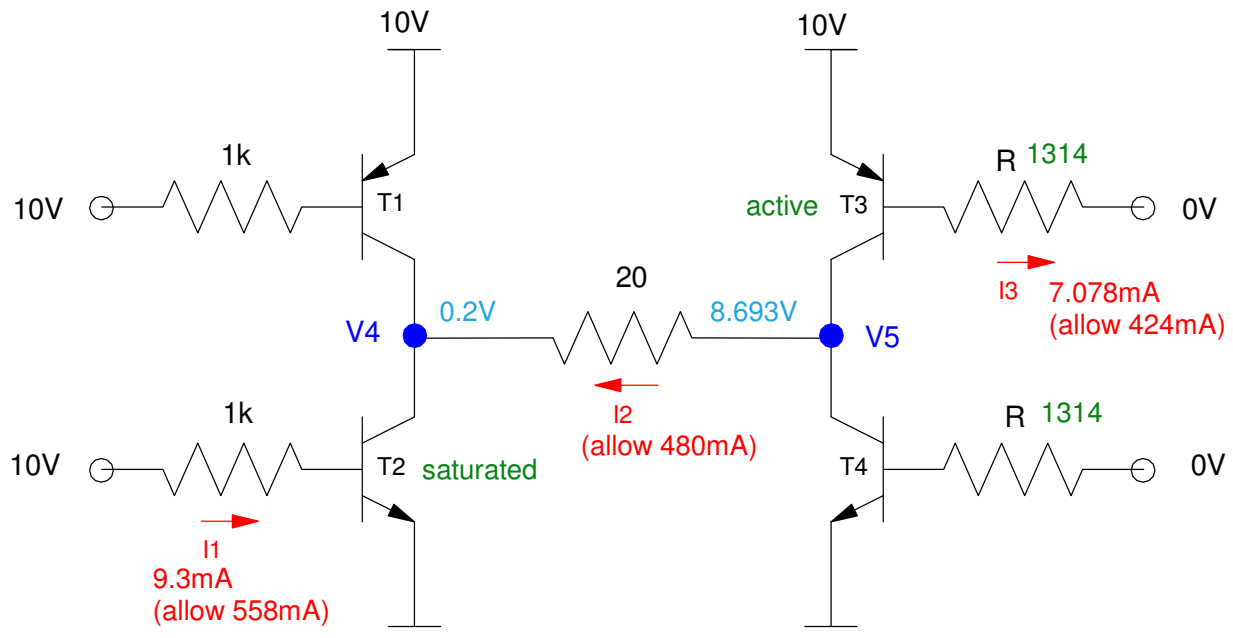
H-Bridge Analysis:

1) Determine the voltages and currents for the following H-bridge. Assume ideal transistors:

- $|V_{be}| = 0.7V$
- $|V_{ce}| = 0.2V$ when saturated
- Current gain = $\beta = 60$

Let $R = 800 + 100 \cdot (\text{your birth month}) + (\text{your birth date})$

R	I1	I2	I3	V4	V5
800 + 100*mo + day					
1314	9.3mA	424mA	7.078mA	0.2V	8.693V



First, determine the currents

$$I_1 = \left(\frac{10V - 0.7V}{1k} \right) = 9.3mA \quad \text{allows } 558mA \text{ (60x)}$$

$$I_3 = \left(\frac{10V - 0.7V}{1314\Omega} \right) = 7.078mA \quad \text{allows } 424mA \text{ (60x)} \quad <<<< \text{winner!!}$$

$$\max(I_2) = \left(\frac{10V - 0.2V - 0.2V}{20\Omega} \right) = 480mA$$

I3 limits the current, meaning T3 is in the active mode

T2 is saturated ($V_4 = 0.2V$)

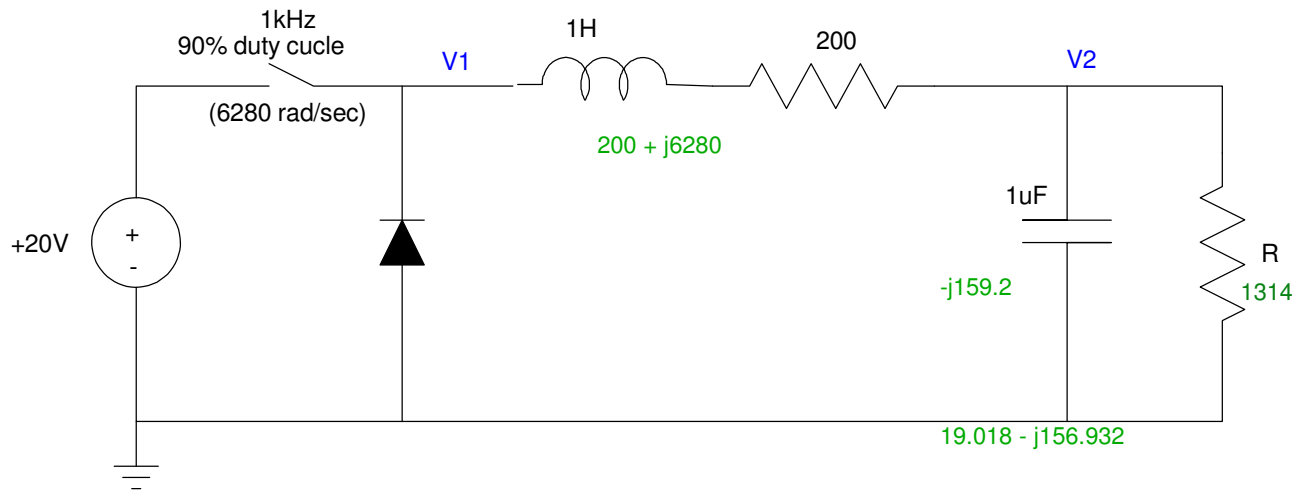
$$V_5 = V_4 + 442mA \cdot 20\Omega = 8.693V$$

DC to DC Converter: Analysis

2) Determine the voltages at V1 and V2 (both DC and AC). Assume

- $R = 800 + 100 \cdot (\text{your birth month}) + (\text{your birth date})$

R 800 + 100*mo + day	V1		V2	
	DC	AC (V1pp)	DC	AC (V2pp)
1314	17.97V	20.7Vpp	15.56V	0.534Vpp



DC Analysis

$$V_1(DC) = (0.9)(20V) + (0.1)(-0.7V) = 17.93V$$

$$V_2(DC) = \left(\frac{1314}{1314+200} \right) V_1(DC) = 15.56V$$

AC Analysis

$$V_1(AC) = 20.7V_{pp}$$

$$V_2(AC) = \left(\frac{(19.018-j156.932)}{(19.018-j156.932)+(200+j6280)} \right) (20V_{pp})$$

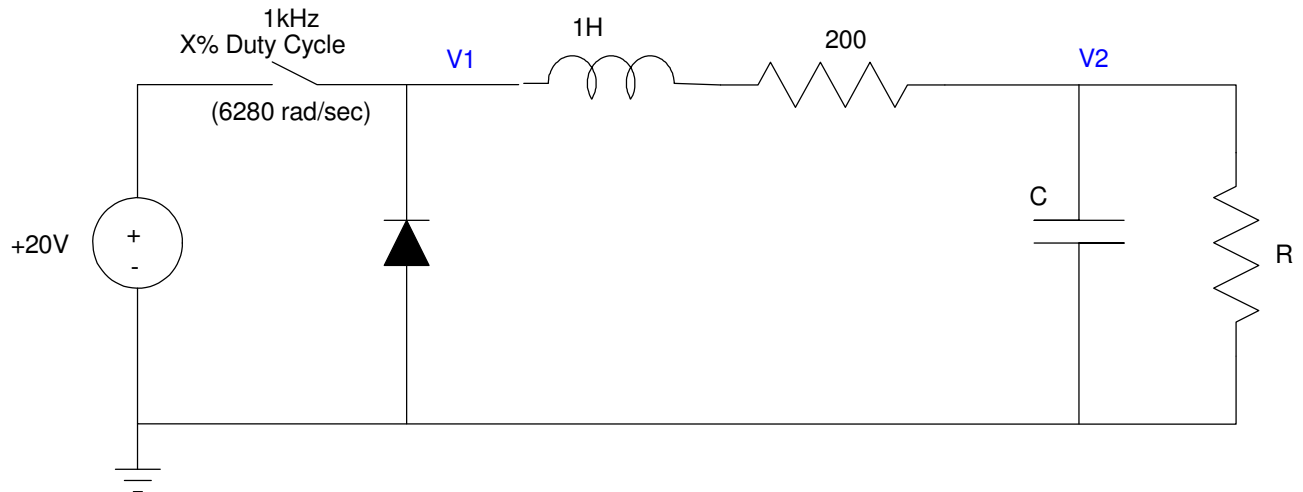
$$|V_2(AC)| = 0.534V_{pp}$$

DC to DC Converter: Design

3) Determine the duty cycle and C so that

- $V_2(\text{DC})$ is 11.0V and
- $V_2(\text{AC}) = 250\text{mV}_{pp}$
- $R = 800 + 100 \cdot (\text{your birth month}) + (\text{your birth date})$

R 800 + 100*mo + day	Duty Cycle (X) %	C
1314	64.6%	2.041uF



DC Analysis

$$V_2(\text{DC}) = 11.00\text{V}$$

$$V_1(\text{DC}) = \left(\frac{1314+200}{1314} \right) V_2(\text{DC}) = 12.674\text{V}$$

$$X = \left(\frac{12.674\text{V} + 0.7\text{V}}{20\text{V} + 0.7\text{V}} \right) = 0.646$$

AC Analysis

Assume $C = 0$

$$V_2(\text{AC}) = \left(\frac{1314}{(1314) + (200 + j6280)} \right) (20.7\text{V}_{pp})$$

$$V_2(\text{AC}) = 4.211\text{V}_{pp}$$

To reduce this to 250mV_{pp}

$$\left| \frac{1}{j\omega C} \right| = \left(\frac{0.25\text{V}_{pp}}{4.211\text{V}_{pp}} \right) 1314\Omega = 78.018\Omega$$

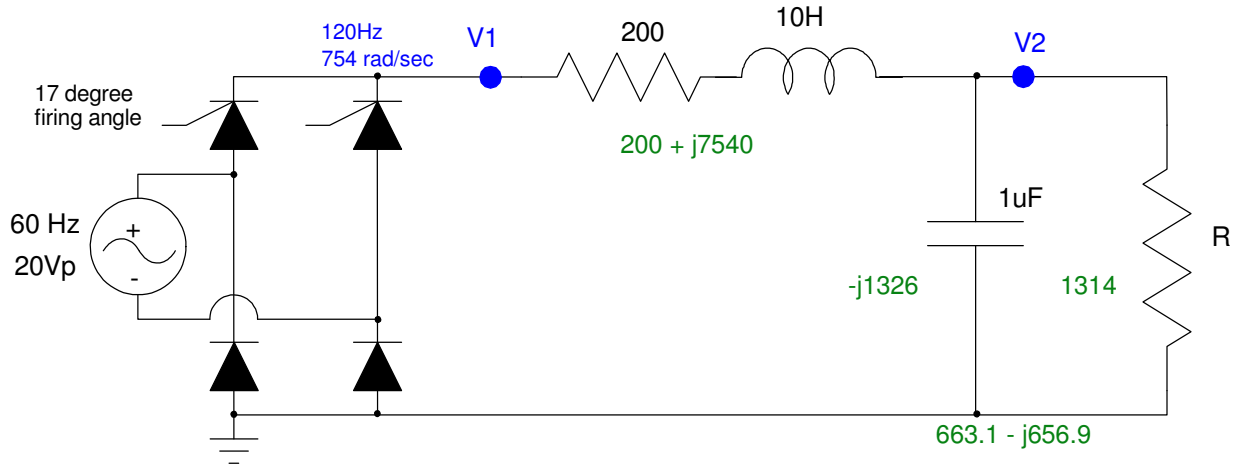
$$C = 2.04\mu\text{F}$$

SCR

4) Determine the voltages at V1 and V2 (both DC and AC). Assume

- $R = 800 + 100 \cdot (\text{your birth month}) + (\text{your birth date})$
- 17 degree firing angle
- 20Vp 60Hz sine wave as the input

R 800 + 100*mo + day	V1		V2	
	DC	AC (V1pp)	DC	AC (V2pp)
1314	10.776V	25.874Vpp	9.353V	3.478Vpp



DC Analysis

$$V_1(DC) = \frac{2}{\pi} \cdot 20V \cdot \cos(17^\circ) - 1.4V = 10.776V$$

$$V_2(DC) = \left(\frac{1314}{1314+200} \right) V_1(DC) = 9.353V$$

AC Analysis

$$V_1(AC) = 20V \cdot (1 + \sin(17^\circ)) = 25.847V_{pp}$$

$$V_2(AC) = \left(\frac{(663.1-j656.9)}{(663.1-j656.9)+(200+j7540)} \right) (25.847V_{pp})$$

$$V_2(AC) = 3.4781V_{pp}$$

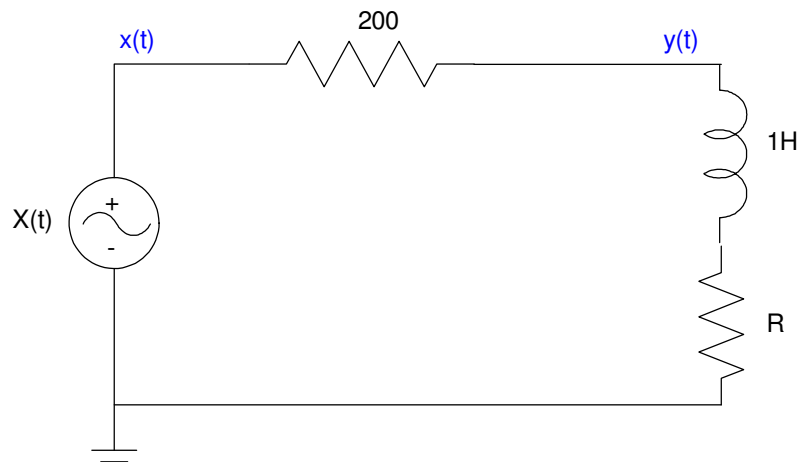
Fourier Transform

5) Determine $y(t)$ given that

$$x(t) = 24 + 5 \sin(50t) + 2 \cos(100t)$$

- $R = 800 + 100 \cdot (\text{your birth month}) + (\text{your birth date})$

R 800 + 100*mo + day	y(t)
1314	20.830 + 0.022 cos(50t) + 4.340 sin(50t) + 1.737 cos(100t) - 0.017 sin(100t)



Use superposition

$$x(t) = 24$$

$$y = \left(\frac{1314}{1314+200} \right) 24 = 20.830V$$

$$x(t) = 5 \sin(50t)$$

$$X \rightarrow -j5$$

$$L \rightarrow j\omega L = j50$$

$$Y = \left(\frac{1314+j50}{(1314+j50)+(200)} \right) (-j5) = 0.022 - j4.340$$

$$x(t) = 2 \cos(100t)$$

$$X \rightarrow 2$$

$$L \rightarrow j\omega L = j100$$

$$Y = \left(\frac{1314+j100}{(1314+j100)+(200)} \right) (2) = 1.737 + j0.017$$

Boolean Logic

6) Design a circuit using NOR gates to implement $Y(A,B,C,D)$

		CD			
		00	01	11	10
AB	00	x	0	1	1
	01	1	1	1	x
	11	x	x	0	0
	10	x	1	x	0

$$\bar{Y} = \bar{A}\bar{B}\bar{C} + AC$$

Using DeMorgan's law

$$Y = (A + B + C)(\bar{A} + \bar{C})$$

Implement using NOR gates

